

# Using an equivalent slope error to quantify beam errors of heliostats

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## **Types of beam errors**



**CONCENTRATOR HELIOSTAT TRACKING** Incoming  $n_{ideal}$  $\rightarrow$  n<sub>ideal</sub> beam  $\rightarrow$  n<sub>ideal</sub> Changes caused  $n_{ideal}$  $n_{\text{real}}$  $n_{\text{real}}$ by varying loads  $n_{\text{real}}$  $n_{\sf real}$ **Reflected** of  $+$  $\ddot{}$  $\mathbf +$  $\ddot{}$ beam cone - gravity - wind - temperature Waviness Contour Error (SD<sub>contour</sub>) Canting Error (SD<sub>canting</sub>)  $\begin{array}{l}\Delta\:\text{SD}_\text{grav} \\ \Delta\:\text{SD}_\text{wind} \end{array}$ Specularity Error (Spec) \_\_\_\_\_\_\_ = Alignment Error = Roughness Error  $\Delta$  SD<sub>temp</sub> Slope Deviation / Error (SD) Tracking Deviation (Track) Specularity Error (Spec)  $\triangle$ Slope Deviation ( $\triangle$ SD) (changes surface error) (expressed as beam error), (surface error) (surface error) in mrad Beam Quality (BQ) Focus Deviation (Focus) (beam error) (beam error) in m

[Roger et al, 2023. SolarPACES Guidline for Heliostat Performance Testing](https://elib.dlr.de/199045/1/231012_SolarPACES-ID%2027182_GuidelinesForHeliostatTesting_MarcR%C3%B6ger.pdf) 

#### **Measurement Method**

- Indirect method: flux mapping by a beam characterisation system (BCS)
- Direct method: deflectometry, photogrammetry, laser radar
	- $\rightarrow$  slope deviation matrices in relation to ideal shape





## **Objectives**



- Establish the interface between measured data and optical simulations
- Convert measured optical errors into an equivalent model for whole field and annual performance analysis



#### **Benefits of using an equivalent slope error:**

- A straightforward way to quantify beam quality
- A consistent way to compare the magnitude of different types of beam errors.
- Applicable using flux mapping or BCS data
- Easy to implement in ray-tracing simulations to perform heliostat field design, O&M planning, and annual performance analysis.

#### **Method**

- On-axis arrangement: no astigmatism error
- Perfect surface features: 0 slope error, 100% reflectivity
- Irradiation source
	- ➢ Collimated rays
	- ➢ Buie sunshape 2%
- Four reflector shapes
	- ➢ Paraboloid
	- ➢ Sphere
	- ➢ Parabolic-cylinder
	- ➢ Flat
- Different heliostat design
	- Single facet
	- $-3\times3$
	- $-5\times5$





Energy capture percentage



• Different slant range distances: 100, 500, 1000m

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#### **Collimated rays, ideal case**

**Reflectors in 12 configurations, 0 surface, 0 slope error, on-axis arrangement, ideally focused**



- Without sunshape and surface slope errors, the beam shape remains unchanged across different slant (SL) ranges.
- spherical reflector with a radius of curvature (ROC) twice the SL range provides the same concentration ratio as an ideal paraboloid reflector.
- single-facet parabolic-cylindrical reflector offers a line focus feature and performs better than a flat single-facet reflector.
- Using multiple ideally canted facets by the slant range significantly increases the concentration ratio for both flat and parabolic-cylindrical facets.
- More canted facets result in better concentration because the overall shape of the collector more closely resembles a paraboloid.
- Ideally canted 5x5 flat facets can reduce the capture radius from 5–6m to around 1m, comparable to parabolic-cylindrical facets.

### **Buie sunshape**

**Reflectors in 12 configurations, 0 surface slope error, on-axis arrangement, ideally focused**



#### **An ideal paraboloid reflector with slope errors (focal length = slant (SL) range)**



- When sunshape is included, beam shapes spread more as the SL range increases.
- There is no performance difference between an ideal paraboloid concentrator and a flat reflector when they are far from the target. For a heliostat 1 km from the target, the beam tail can extend to 25 m.
- Equivalent slope error (ESE) is the slope error on an ideal paraboloid that matches the capture radius of an "as-is" heliostat configuration.

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# **Equivalent slope error (ESE)**

**Reflectors in 12 configurations, 0 surface slope error, on-axis arrangement, ideally focused**







- Spherical facets perform as well as a paraboloid.
- Non-ideal shape heliostats perform better and is comparable with ideal shape heliostats at greater distances due to sunshape spreading the beam.
- A single flat facet is equivalent to 12.3 mrad at 100 m from the target, but reduces to 1.3 mrad at greater distances.
- A 5x5 flat-facet heliostat is equivalent to 2.2 mrad at 100 m and performs almost as well as an ideal paraboloid with 0.1 mrad ESE.



#### **ESE of facet focus and canting errors**  $\cdot$  **Paraboloid facets**

**Radius of 95% energy capture** 





- A negative error indicates a shorter focal length than the ideal focus, while a positive error indicates a longer focal length.
- A negative error means the reflector is more curved.
- A positive error means the reflector is flatter.
- A more curved reflector generally performs worse than a flatter one.
- More facets allow for greater tolerance of facet-level errors.
- A 5x5 flat-facet heliostat has only 2.2 mrad at 100 m

#### **Full field case**

- Design point: summer solstice, solar noon azi=180, ele=78
- Heliostat layout: 524 heliostats
- Aiming point (0, 0, 62)
- 20 million rays using Solstice ray tracing program





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# **Results – full field, design point**



Ideal focus and canting for facets in different shapes



# **Results – full field, annual performance**



Matching capture radius of 95%

- It is hard to use an equivalent slope error to fit the whole flux distribution
- but it is ok to use an ESE to predict the energy capture



#### Verification: annual optical efficiency for the 10% focal length error



### **Conclusions and future work**



- ESE is obtained by matching the radius of energy capture between an 'as-is' flux map and an ideal paraboloid heliostat with a slope error.
- It is validated that the ESE obtained at the design point for the full field can be applied to annual performance analysis.
- ESE offers a straightforward way to compare the magnitude of different types of beam errors.
- When sunshape is included, beam shapes spread more as the SL range increases. There is no performance difference between an ideal paraboloid concentrator and a flat reflector when they are far from the target.
- Non-ideal shape heliostats perform better and are comparable with ideal shape heliostats at greater distances due to sunshape spreading the beam.
- A single flat facet is equivalent to 12.3 mrad at 100 m from the target but reduces to 1.3 mrad at greater distances.
- A 5x5 flat-facet heliostat is equivalent to 2.2 mrad at 100 m and performs almost as well as an ideal paraboloid with 0.1 mrad ESE.
- More facets allow for greater tolerance of facet-level errors.
- A more curved reflector generally performs worse than a flatter one.

#### **Future Work:**

- How to use the ESE of a single heliostat to obtain the ESE of the whole field.
- Investigate more types of optical errors.

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# Questions?

#### **csp.sandia.gov**

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